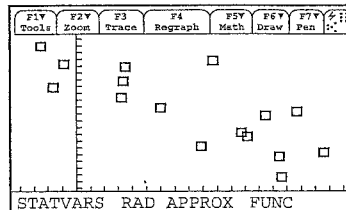
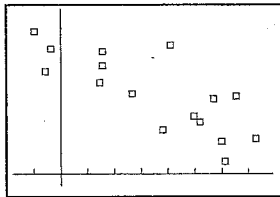




Least-squares regression lines on the TI-83/84/89

We will use the fat gain and NEA data from Example 3.9 (page 200) to show how to use the TI-83/84/89 to determine the equation of the least-squares regression line.

- Enter the NEA change data into L_1 /list1 and the fat gain data into L_2 /list2.
- Define a scatterplot using L_1 /list1 and L_2 /list2, and then use ZoomStat (ZoomData) to plot the scatterplot.



To determine the least-squares regression line:

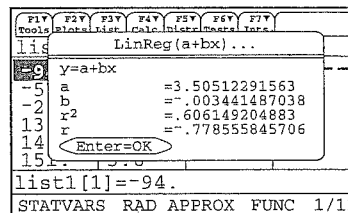
TI-83/84

- Press **STAT**, choose CALC, then 8:LinReg ($a+bx$). Finish the command to read LinReg ($a+bx$) $L_1, L_2, Y1$. ($Y1$ is found under VARS/Y-VARS/I:Function.)

TI-89

- In the Statistics/List Editor, press **2nd** **ENTER** (CALC), choose 3:Regressions, then 1:LinReg ($a+bx$).
- Enter list1 for the Xlist, list2 for the Ylist, choose to store the RegEqn to $y1(x)$, and press **ENTER**.

```
LinReg
y=a+bx
a=3.505122916
b=-.003441487
r2=.6061492049
r=-.7785558457
```



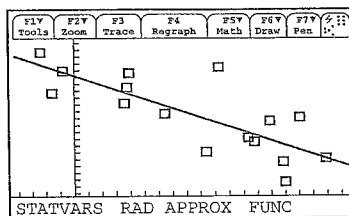
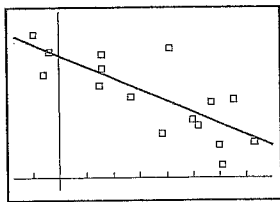
Note: If r^2 and r do not appear on your TI-83/84 screen, then do this one-time series of keystrokes: Press **2nd** **0** (CATALOG), scroll down to DiagnosticOn, and press **ENTER**. Press **ENTER** again to execute the command. The screen should say "Done." Then press **2nd** **ENTER** (ENTRY) to recall the regression command and **ENTER** again to calculate the least-squares line. The r^2 - and r -values should now appear.

Technology Toolbox



Least-squares regression lines on the TI-83/84/89 (continued)

- Deselect all other equations in the Y=screen and press **GRAPH** \blacktriangleleft **F3** on the TI-89) to overlay the least-squares line on the scatterplot.



- Save these lists for later use. On the home screen, execute the command $L1 \rightarrow NEA : L2 \rightarrow FAT$ (list1 \rightarrow NEA : list2 \rightarrow FAT on the TI-89).

Although the calculator will report the values for a and b to nine decimal places, we usually round off to fewer decimal places. You would write the equation as

$$\hat{y} = 3.505 - 0.00344x$$

When you write the equation, don't forget the hat symbol over the y ; this means *predicted value*.